

(Logarithmic Regressions)

"Log" Not "Line"

Enter Data: **STAT** 1: Edit *Then* Create Function: **STAT** → "CALC" 9: LnReg
ENTER **ENTER**

Example 1: Create a Logarithmic Regression function for the following data.

(Round to the nearest hundredth)

$y = a + b \ln x$ $a = 0.45966$
 $b = -0.09984$

x	100	90.26	73.90	60.51	49.54	40.56
y	0	0.01	0.03	0.05	0.07	0.09

$y = 0.46 - 0.10 \ln(x)$

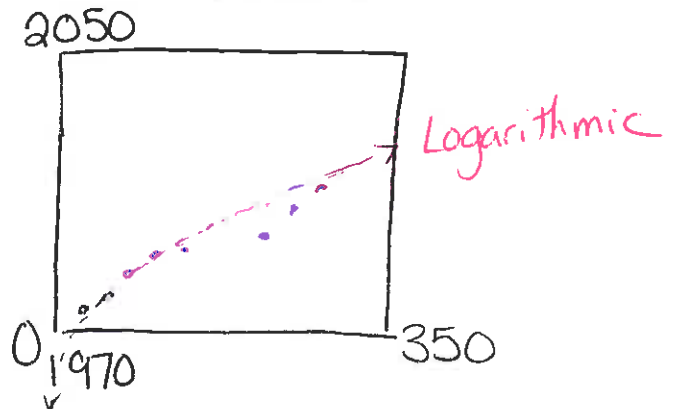
Example 2: (Pg. 488) Lydia is researching the rise in tuition fees for post-secondary education in Alberta for her school website. She found some data that uses the tuition fees in 1992 as the benchmark, assigning them a value of 100%. The tuition fees in all other years are compared with the tuition fees in 1992.

usually time is independent, but this would create an exponential function.

Tuition Fees as a Percent of Cost in 1992 (%)	Year
37.8	1979
43.8	1982
54.0	1984
58.8	1986
69.4	1989
100.0	1992
222.7	1999
287.1	2004
305.9	2006

Statistics Canada, Table 326-0002—Consumer Price Index (CPI)

a) Create a scatter plot to visualize the type of relationship (regression)



b) Create a regression function for the data using your calculator

$y = a + b \ln x$
 $a = 1937.423853$
 $b = 11.77807419$

$y = 1937.42 + 11.78 \ln(x)$

c) Estimate when the tuition fees will be double what they were in 1992.

Double = 200%
 $\therefore x = 200$

$y = 1937.42 + 11.78 \ln(200)$

$y = 1999.83$

(around 1999-2000)

d) What will the tuition fees be in the year 2010?

$Y_1 = 1937.42 + 11.78 \ln(x)$

$Y_2 = 2010$

Find Intersection.

When $y = 2010$, $x = 474.04$

Remember, best-fit is an estimate

Fees would be about 474% of what they were in 1992